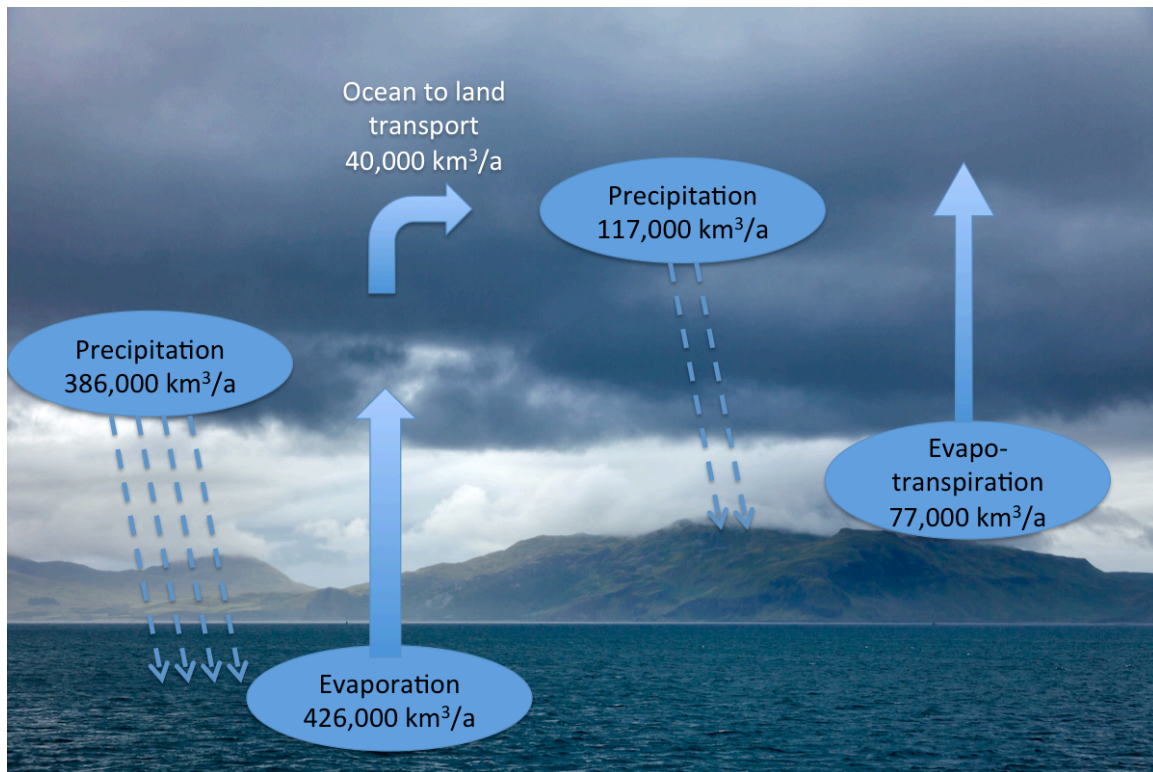


Evaporation to the rescue?

Technically, as used by Trenberth (*) this includes transpiration by plants together with land and sea-surface evaporation. We will just call it evaporation here. Evaporation requires a heat input, as for example when boiling a pan of water. When evaporation takes place at the ocean surface the “latent heat of evaporation” is provided by available heat in the ocean, resulting in a cooling effect. In order to quantify this cooling we need to know the evaporation rate. A summary of global evaporation is given by Schneider et al (**). Over the whole planet the figures are impressively large, with evaporation totaling 503,000 cubic kilometers of water per year (km^3/annum). Evaporation is balanced by precipitation of the same amount, however there is a precipitation deficit relative to evaporation over the oceans and an equal excess of $40,000 \text{ km}^3/\text{year}$ over land, which mostly returns in rivers.



Knowing the density of water ($1000 \text{ kg}/\text{m}^3$), the latent heat of evaporation of water ($2,260 \text{ kJ}/\text{kg}$), the area of the Earth ($5.1 \times 10^{14} \text{ m}^2$) and the number of seconds in a year ($\pi \times 10^7$ to a good approximation), we quickly find that $Q_E = 80 \text{ W}/\text{m}^2$ is the average rate of removal of heat by evaporation from the Earth's surface, the same number as given by Trenberth (*) on our page 15. (“kJ” = kiloJoules and $1 \text{ Joule}/\text{sec} = 1 \text{ W}$).

The question is: How does the rate of evaporation change in response to a temperature increase at Earth's surface? Will it increase as expected, and carry more heat away? The answer to this question has taxed climatologists for a few years now. Yes, the vapor pressure of water rises briskly with temperature by 6.5%